

Home Search Collections Journals About Contact us My IOPscience

Theoretical study of phase forming of NaZn₁₃-type rare-earth intermetallics

This article has been downloaded from IOPscience. Please scroll down to see the full text article.

2003 J. Phys.: Condens. Matter 15 109

(http://iopscience.iop.org/0953-8984/15/2/311)

View the table of contents for this issue, or go to the journal homepage for more

Download details:

IP Address: 171.66.16.119

The article was downloaded on 19/05/2010 at 06:27

Please note that terms and conditions apply.

J. Phys.: Condens. Matter 15 (2003) 109-120

Theoretical study of phase forming of NaZn₁₃-type rare-earth intermetallics

Hong Chang¹, Nanxian Chen^{2,3}, Jingkui Liang^{1,4} and Guanghui Rao¹

- ¹ Institute of Physics and Center for Condensed Matter Physics, Chinese Academy of Sciences, Beijing 100080, People's Republic of China
- ² Institute of Applied Physics, Beijing University of Science and Technology, Beijing 100083, People's Republic of China
- ³ Department of Physics, Tsinghua University, Beijing 10084, People's Republic of China
- ⁴ International Center for Materials Physics, Chinese Academy of Sciences, Shenyang 110016, People's Republic of China

Received 3 September 2002, in final form 21 November 2002 Published 20 December 2002 Online at stacks.iop.org/JPhysCM/15/109

Abstract

By using the interatomic pair potential obtained with the lattice inversion method, the stability of $RT_{13-x}M_x$ (R=La, Ce, Pr and Nd; T=Co and Fe; M=Si, Al, Cr, V and Ti) of the NaZn₁₃ type and its derivative structure are studied. The structural transition of $LaT_{13-x}Si_x$ (T=Co and Fe) between the cubic one with the space group Fm3c and the tetragonal one with I4/mcm is imitated from the viewpoint of energy. As for the function of the third elements, Al and Si are beneficial to the phase stability of $RT_{13-x}M_x$, whereas Cr, Ti and V are unfavourable to the stability. In the calculation, the range of x, with which $RT_{13-x}M_x$ could crystallize in the cubic or tetragonal structures, agrees with the experiments very well. The calculated crystallographic parameters coincide with the experimental observation. In the cubic structure, Si and Al prefer the 96i site, and in the tetragonal structure Si first occupy the 16l(2) site, then the 16k site. In addition, all the site positions of the compounds with either the cubic or tetragonal structure are really congruent with the experimental one.

1. Introduction

The NaZn₁₃-type RT_{13-x}M_x are an important series of compounds in the study of high energy permanent magnetic materials, high efficient magnetocaloric materials and giant isotropic magnetostriction materials [1–4]. LaCo₁₃ is the only stable compound with the NaZn₁₃-type structure in all the binary rare-earth transition-metal systems. Due to a positive heat of formation between La and Fe, LaFe₁₃ does not exist and an appropriate amount of the third element, such as Al or Si, is necessary to stabilize LaFe_{13-x}M_x (M = Al and Si) [5–9]. The third element not only plays a fairly important role in the phase formation, but also influences greatly the physical properties of RT_{13-x}M_x. With different fractions of the third element, RT_{13-x}M_x may crystallize in the cubic structure with the space group Fm3c or in the tetragonal structure

with I4/mcm. For example, with $1.4 \le x \le 2.6 \text{ LaFe}_{13-x} \text{Si}_x$ forms the cubic structure with the space group Fm3c, and with $3.2 \le x \le 5.0$ it forms the tetragonal one with the space group I4/mcm [10]. If the possibility of phase formation is known beforehand, the search for new intermetallic compounds would be more efficient. Atomic radius and the enthalpy of formation have been used in the prediction of phase formation [11]. In the estimation of the formation enthalpy, several approximate methods have been proposed. Pasturel et al [12, 13] calculated the enthalpy of formation within a tight-binding scheme for the d-band, using the continued fraction developed in the first step to derive the partial densities of states from a knowledge of the moments of the constituents. They treated the rare-earth metal with 1.5–2.0 5d electrons [12, 13]. Miedema and co-workers [14] proposed the calculation of the enthalpy of formation with the work functions, molar volumes and electron densities at the boundary of the Wigner-Seitz cell of the constituents, basing their calculations on the so-called 'macroscopic atom picture'. Although Pasturel's method gives better results in comparison with Miedema's, they take more computer effort. Furthermore, the results given by Miedema's method coincide with those given by Pasturel's method very well. Then, many studies on the calculation of the formation enthalpy are based on Miedema's method. However Miedema's method has its own shortcoming. It does not take the elastic deformation and the crystal-structure-dependent contribution into account. Miedema's method could not do anything for the multicomponent alloys or intermetallic compounds.

The viewpoint of energy is a shortcut but effective way to investigate the structural stability and the site preference. It is accepted that the local atomic environment determines if the energy of a compound is low enough to form a compound with a certain structure. The method combining interatomic potentials with different crystal structures has been successfully used in the known metals and intermetallics. However, since it is very difficult to obtain potentials in the rare-earth-containing compounds, little work has been done on them. Chen [15] proposed the lattice inversion method to obtain the interatomic pair potential, which is a very timesaving one. Based on the interatomic pair potential obtained with the lattice inversion method, some effort has been made on the compounds of 1:5-type and their derivative compounds [16, 17]. The possible application of the NaZn₁₃-type rare-earth transition metal compounds in many fields has inspired us to study the effect of the third element on the phase formation of compounds. In this paper, we investigated the stabilizing effects of the third element on $RT_{13-x}M_x$ (R = La, Ce, Pr, Nd; T = Co and Fe; M = Al, Si, Cr, V and Ti) and the transition between the cubic and tetragonal structure with the interatomic pair potential obtained with Chen's lattice inversion method.

2. Lattice inversion method

In general, the interatomic pair potential is obtained by a strict lattice inversion of cohesive energy curves. The cohesive energy curves can be obtained either by a first-principle calculation or experimental data fitting. A brief introduction to the lattice inversion theorem is proposed by Chen *et al* [15] below. The crystal cohesive energy obtained by the first-principle calculation is expressed as

$$E(\chi) = \frac{1}{2} \sum_{n=1}^{\infty} r_0(n) \Phi(b_0(n)\chi)$$
 (1)

where χ is the nearest-neighbour distance, $r_0(n)$ is the *n*th-neighbour coordination number, $b_0(n)\chi$ is the distance between the reference central atom and its *n*th neighbour and $\Phi(b_0(n)\chi)$ is the pair potential. A multiplicative closed semigroup b(n) is formed by the self-multiplicative process from $b_0(n)$. In this process, a lot of virtual lattice points are involved, but the

corresponding virtual coordination number is zero. In the b(n), for any two integers m and n, there is a sole integer k such that b(k) = b(m)b(n). Hence, equation (1) can be rewritten as

$$E(\chi) = \frac{1}{2} \sum_{n=1}^{\infty} r(n) \Phi(b(n)\chi)$$
 (2)

where

$$r(n) = \begin{cases} r_0(n)(b_0^{-1}[b(n)]) & \text{if } b(n) \in \{b_0(n)\} \\ 0 & \text{if } b(n) \notin \{b_0(n)\}. \end{cases}$$
(3)

Then the general equation for the interatomic pair potential obtained from the inversion can be expressed as

$$\Phi(\chi) = 2\sum_{n=1}^{\infty} I(n)E(b(n)\chi) \tag{4}$$

where I(n) has the characteristic of

$$\sum_{b(d)|b(n)} I(d)r\left(b^{-1}\left[\frac{b(n)}{b(d)}\right]\right) = \delta_{n1}.$$
(5)

I(n) is uniquely determined by a crystal geometrical structure, not related to the concrete element category. Thus, the interatomic pair potentials can be obtained from the known cohesive energy function $E(\chi)$.

In order to obtain the necessary interatomic potentials, some simple and virtual structures are designed. First, the BCC Fe as a B2 or CsCl structure with two simple cubic (SC) sublattices Fe₁ and Fe₂ is taken into consideration. Thus,

$$E(\chi) = E_{\text{Fe}}^{BCC}(\chi) - E_{\text{Fe}_1}^{SC}(\chi) - E_{\text{Fe}_2}^{SC}(\chi)$$

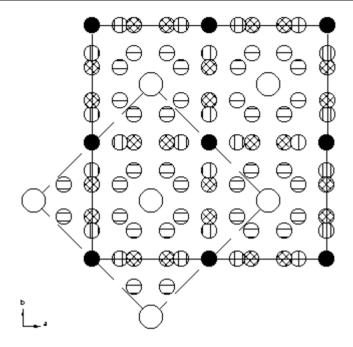
$$= \sum_{i,j,k\neq 0}^{\infty} \Phi_{\text{Fe}-\text{Fe}}\left(\sqrt{\frac{4}{3}[(i-\frac{1}{2})^2 + (j-\frac{1}{2})^2 + (k-\frac{1}{2})^2]}\chi\right)$$
(6)

where χ is the nearest-neighbour distance in the BCC structure, $E_{\rm Fe}^{BCC}(\chi)$ represents the total energy curve with a BCC structure and $E_{\rm Fe_1}^{SC}(\chi)$ or $E_{\rm Fe_2}^{SC}(\chi)$ is the total energy function with an SC structure. Then, $E(\chi)$ is the cohesive energy function of one Fe₁ atom with all other Fe₂ atoms. Here, the Fe₂ atoms form a SC structure and one Fe₁ atom is located at the centre of the cube. Then, the interatomic potential $\Phi_{\rm Fe-Fe}$ can be obtained with the lattice inversion technique described above. In the same way, all the other kinds of interatomic potential can be obtained. Based on these interatomic potentials, the cohesive energy for the actual complex structures can be obtained.

3. Results and discussion

3.1. Structural transition and site preference of $LaCo_{13-x}Si_x$ and $LaFe_{13-x}Si_x$

In the NaZn₁₃-type rare-earth transition-metal compounds, some of the RT_{13-x}M_x crystallizes in the cubic structure with the space group Fm3c, and some crystallizes in the tetragonal structure with the space group I4/mcm. The tetragonal structure with the space group I4/mcm is a derivative of that with the space group Fm3c. The relations between the cubic structure and its derivative tetragonal structure are shown in figure 1. The orderly distribution of T and T and T at the 96i site of the structure with T and T are group T and T and T and T are group T and T and T and T and T are group T and T are group T and T and T are group T and T and T are group T are group T and T are group T



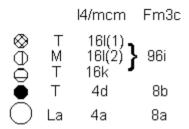


Figure 1. The schematic representation of the $RT_{13-x}M_x$ -type structure projected along the z axis. The full and broken lines denote the unit cell of the cubic $NaZn_{13}$ type with the space group Fm3c and its derivative structure with I4/mcm, respectively.

calculation, the structural stability is judged by the energy and tolerance. The tolerance, which represents the displacement of the atomic position in order to retrieve the space group, is an assistant criterion. Numerous calculations show that, when the tolerance is much larger than 0.5 Å, the compounds do not exist in experiments. In fact, the site occupation is determined by the energy and the too large tolerance means that the final stable structure has deviated too far from the selected one and that the structure has been changed.

In the experiments, for $0 \le x \le 2.5$, $LaCo_{13-x}Si_x$ crystallizes with the space group Fm3c and Si enters into the 96i site [9, 19]. For $2.5 \le x \le 5$, $LaCo_{13-x}Si_x$ crystallizes in the space group I4/mcm, and Si first occupies the 16l(2) site, and then with the 16l(2) site full Si enters into the 16k site [19]. In figure 2(a), the calculated energy and tolerance of $LaCo_{13-x}Si_x$ with the cubic and tetragonal structure are shown for $x \le 6.00$, and the error is omitted in order to make the figure clearer. For $LaCo_{13-x}Si_x$, Si entering into the 16l(2) site

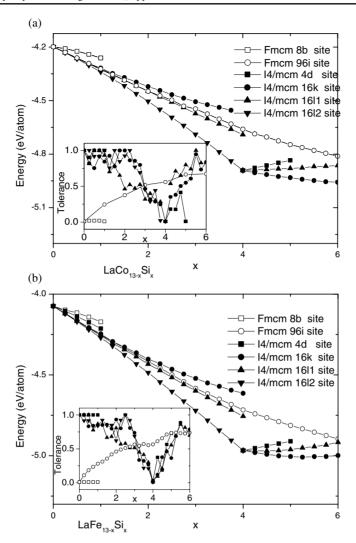


Figure 2. The energy (eV/atom) variation with the third element content x in (a) $LaCo_{13-x}Si_x$ and (b) $LaFe_{13-x}Si_x$ with the space group Fm3c and I4/mcm. The inset shows the tolerance.

of the tetragonal structure has the lowest energy for $x \le 4.00$ and the tolerance is acceptable for $2.75 \le x \le 4.00$. However, in the range $0 \le x \le 2.75$, the tolerance is so large that the tetragonal structure could not exist. For the space group Fm3c, the energy is lower when Si is entering into the 96i site than when Si is entering into the 8b site and the tolerance is acceptable for x less than about 4.00. Then Si should prefer the 96i site with the space group Fm3c for $x \le 2.75$. As $x \ge 4.00$, the energy of the tetragonal structure with the space group I4/mcm is calculated by assuming that Si has occupied all the 16l(2) sites. In that case, the energy with Si entering into the 16k site of the tetragonal structure is lowest and the tolerance is acceptable for $x \le 5.25$. So, in the calculation, when $0 \le x \le 2.75$, Si prefers the 96i site of the cubic structure. When $2.75 \le x \le 5.25$, Si should first occupy all of the 16l(2) sites of the tetragonal structure, and then with 16l(2) full Si should enter into part of the 16k sites. Compared with the experiments, the calculation is very good at illustrating the structural transition.

Table 1. The crystal parameters a and c of $LaCo_{13-x}Si_x$ and $LaFe_{13-x}Si_x$ in Å, obtained from experiments (exp.) and calculations (cal.), (I) denoting the crystal parameters of the structure with the space group I4/mcm, and Ref. is the source of the experimental data.

	х	a (exp.)	c (cal.)	a (cal.)	c (cal.)	Ref.
	0	11.345		11.356		[19]
	1	11.330		11.350		[19]
$LaCo_{13-x}Si_x$	2	11.315		11.133		[19]
	3(I)	7.833	11.300	8.010	11.125	[19]
	4(I)	7.824	11.522	7.996	11.450	[19]
	5(I)	7.815	11.616	7.980	11.555	[19]
	2	11.463		11.470		[10]
$LaFe_{13-x}Si_x$	3(I)	7.994	11.363	8.035	11.485	[10]
	4(I)	7.974	11.542	7.997	11.501	[10]
	5(I)	7.954	11.720	7.967	11.595	[10]

Figure 2(b) shows the energy variation of $LaFe_{13-x}Si_x$ with the cubic and tetragonal structure. For $x \leq 3.00$, the energy is the lowest with Si entering into the 16l(2) site of the tetragonal structure but the tolerance is too large. For the cubic structure, Si entering into the 96i site decreases the energy more than when Si is entering into the 8b site and the tolerance is reasonable for $x \le 4.75$. Then, Si should occupy the 96i site of the cubic structure for $x \le 3.00$. While x further increases from x = 3.25 to 4.00, the energy decreases more rapidly with Si entering into the 16l(2) site of the tetragonal structure than it does with Si entering into the 96i site of the cubic structure and the tolerance is also lower for the tetragonal structure than for the cubic structure. With x > 4.0, the 16l(2) site in the tetragonal structure is taken as fully occupied by Si. In that case, Si entering into the 16k site of the tetragonal structure has the lowest energy and the corresponding tolerance is lower than or comparable to that with Si entering into the 96i site of the cubic structure for $4.00 \le x \le 5.25$. The existing range of the cubic structure of LaFe_{13-x}Si_x in the experiments is $1.4 \le x \le 2.6$ and that of the tetragonal one is $3.2 \le x \le 5.0$ [10]. According to the calculation, Si entering into the 96i site could stabilize the cubic structure of LaFe_{13-x}Si_x with $x \le 3.25$, and for $3.25 \le x \le 5.25$ Si first enters into the 16l(2) site of the tetragonal structure and with 16l(2) full the rest of the Si enters into the 16k site.

As can be judged from structural stability, the method based on the interatomic pair potential can also imitate the actual crystal structure very well. Table 1 shows the lattice parameters of $LaCo_{13-x}Si_x$ and $LaFe_{13-x}Si_x$ obtained from both the experiments and calculation. Although there is a difference between the experimental and calculated results, the calculated results reflect the trend of the variation very well. The atomic positions of $LaCo_{13}$ and $LaFe_{11.8}Si_{1.2}$ with the cubic structure and $LaFe_9Si_4$ and $LaCo_{8.25}Si_{4.75}$ with the tetragonal structure are shown in table 2 for the data obtained from both the experiments and calculation. The calculated atomic positions coincide with the experimental ones fairly well.

3.2. Structural stability and site preference in $RCo_{13-x}Si_x$ (R = Ce, Pr and Nd) and $LaFe_{13-x}Al_x$

Here, we will discuss the stabilizing effect of the third element on RCo_{13} (R = Ce, Pr and Nd). Although the compounds RCo_{13} (R = Ce, Pr and Nd) do not exist, they can be stabilized with Si substituting for part of the Co. Now, we will take $CeCo_{13-x}Si_x$ as an example to discuss in detail the structural stability from the viewpoint of energy. In $CeCo_{13-x}Si_x$, the energy

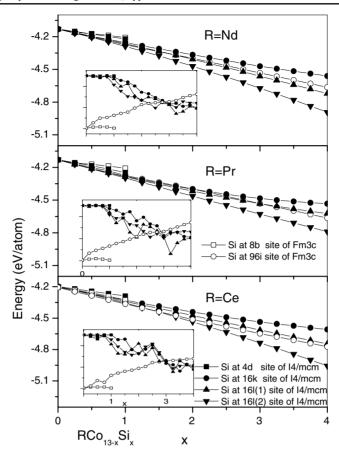


Figure 3. The energy (eV/atom) variation with the third element content x in RCo_{13-x}Si_x (R = Ce, Pr, and Nd) with the space group Fm3c and I4/mcm. The inset shows the tolerance.

Table 2. The atomic positions of $LaCo_{13}$ and $LaFe_{11.8}Si_{1.2}$ with the cubic structure, $LaFe_9Si_4$ and $LaCo_{8.25}Si_{4.75}$ with the tetragonal structure obtained from both the experiments (Exp.) and the calculations (Cal.), the experimental data taken from the references (Ref.).

Comp.	Site	Exp.	Cal.	Ref.
LaCo ₁₃ (cubic)	8b 96i	(0, 0, 0) (0, 0.1802, 0.1182)	(0, 0, 0) (0, 0.1801, 0.1200)	[20]
LaFe ₁₂ Al (cubic)	8b 96i	(0,0,0) (0, 0.1787, 0.1159)	(0,0,0) (0, 0.1791, 0.1190)	[21]
LaCo _{8.25} Si _{4.75} (tetragonal)	4d 16k 16l(1) 16l(2)	(0.5, 0, 0) (0.1993, 0.0962, 0) (0.1291, 0.6291, 0.1801) (0.3324, 0.8324, 0.1253)	(0.5, 0, 0) (0.1920, 0.0920, 0) (0.1302, 0.6302, 0.1780) (0.3320, 0.8320, 0.1270)	[19]
LaFe ₉ Si ₄ (tetragonal)	4d 16k 16l(1) 16l(2)	(0.5, 0, 0) (0.2007, 0.0647, 0) (0.1202, 0.6202, 0.1790) (0.3239, 0.8239, 0.1213)	(0.5, 0, 0) (0.1965, 0.0594, 0) (0.1197, 0.6197, 0.1879) (0.3267, 0.8267, 0.1279)	[19]

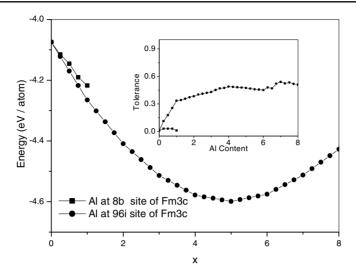


Figure 4. The energy (eV/atom) variation with the third element content x in LaFe_{13-x}Al_x with the space group Fm3c.

decreases most with Si entering into the 16l(2) site (I4/mcm), as shown in figure 3, and the tolerance is acceptable when $3.00 \le x \le 4.00$. In the experiments, $CeCo_{13-x}Si_x$ crystallizes in the tetragonal structure in the range $3.2 \le x \le 4$ [18]. The calculated stabilizing range and the preferential occupation of Si agree with the experimental observation very well. Figure 3 also shows the energy and tolerance of $RCo_{13-x}Si_x$ (R = Pr and Nd). As for $PrCo_{13-x}Si_x$, Si at the 16l(2) site of the tetragonal structure has the lowest energy, but the tolerance is acceptable only when $2.25 \le x \le 4.00$, which is consistent with the experiments. In the experiments, $PrCo_{13-x}Si_x$ crystallizes in the tetragonal structure with $2.5 \le x \le 4.0$ and Si substitutes for Co at the 16l(2) site [23]. For $x \le 2.00$, the energy with Si at the 96i site of the cubic structure is the same as that with Si at the 16l(2) site. Even if the tolerance is taken into account, the cubic structure could exist for $x \le 2.00$ and the cubic $PrCo_{13-x}Si_x$ is observed for $1.5 \le x \le 2.0$ in the experiments [23]. In the case of $PrCo_{13-x}Si_x$ cannot crystallize in the cubic structure and can crystallize in the tetragonal structure with $2.50 \le x \le 4.00$ [24].

For LaFe₁₃, because the enthalpy of formation between La and Fe is positive [25], the third element is necessary to stabilize the compounds. Just as with Si, Al is also a good stabilizer for the compounds LaFe_{13-x}Al_x [5–8, 26, 27]. In the experiments, LaFe_{13-x}Al_x can crystallize in the cubic structure with 1.04 < x < 7.15 [5–8, 26, 27]. Figure 4 shows the energy variation of LaFe_{13-x}Al_x with the content of Al and the inset shows the corresponding tolerance. Overall, Al at the 96i site decreases the energy more than it does at the 8b site. Then, the 96i site is the first choice for Al to occupy in the cubic structure with the space group Fm3c. In table 3, the crystal parameters of $RCo_{13-x}Si_x$ (R = Ce, Pr and Nd) are shown. Although there are differences between the experimental and calculated results, the calculated results reflects the variation of the crystal parameters with the third element and the rare-earth element.

3.3. General analysis based on the pair potential

In the above, the calculation is carried out by combining the interatomic pair potential with the crystal structure of $RT_{13-x}M_x$. Without considering the genuine crystal structure, the

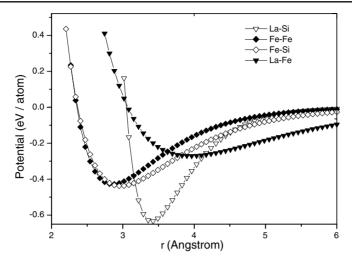


Figure 5. The potential curves of $\Phi_{Fe-Fe}, \Phi_{Fe-Si}, \Phi_{La-Fe}$ and Φ_{La-Si} .

Table 3. The crystal parameters a and c of RCo_{13-x}Si_x (R = Ce, Pr and Nd) and LaFe_{13-x}Al_x in Å, obtained from experiments (exp.) and calculations (cal.), (I) denoting the crystal parameters of the structure with the space group I4/mcm and Ref. is the source of the experimental data.

	х	a (exp.)	c (exp.)	a (cal.)	c (cal.)	Ref.
$CeCo_{13-x}Si_x$	3 (I)	7.729	11.474	7.841	11.433	[18]
	4 (I)	7.781	11.483	7.795	11.499	
	1.5	11.262		11.321		[23]
$PrCo_{13-x}Si_x$	2.5 (I)	7.789	11.607	7.889	11.575	
	3(I)	7.780	11.574	7.874	11.548	
	4(I)	7.763	11.509	7.866	11.517	
	2.5(I)	7.812	11.431	7.950	11.322	[24]
$NdCo_{13-x}Si_x$	3(I)	7.794	11.446	7.933	11.350	
	1					
	2	11.668		11.547		[26, 27]
	3	11.731		11.569		
	4	11.794		11.614		
$LaFe_{13-x}Al_x$	5	11.857		11.688		
	6	11.920		11.794		
	7	11.983		11.871		

phase stability of $RT_{13-x}M_x$ and the site preference of M are able to be generally judged by the variation of the interatomic pair potential in $RT_{13-x}M_x$. We choose R=La, T=Fe and M=Si as the example. In $LaFe_{13-x}Si_x$, La is surrounded by 24Fe (or Si) at the 96i site and Fe (8b) is in the centre of the icosahedron formed by 12Fe (or Si) (96i) and the nearest neighbour of Fe (or Si) (96i) is 9Fe (or Si) (96i), 1Fe (8b) and 2 La. When the amount of Fe substituted by Si is not very large, Si is mostly surrounded by Fe, and R is mostly surrounded by both Fe and Si. Therefore, the Si–Si interaction is negligible when considering the nearest-neighbour effect. It is the differences between Φ_{Fe-Fe} and Φ_{Fe-Si} and between Φ_{R-Fe} and Φ_{R-Si} that determine the energy difference caused by the substitution. As shown in figure 5, when r < 2.8 Å, Φ_{Fe-Si} is slightly larger than Φ_{Fe-Fe} , and when r > 2.8 Å, Φ_{Fe-Si} is smaller than Φ_{Fe-Fe} .

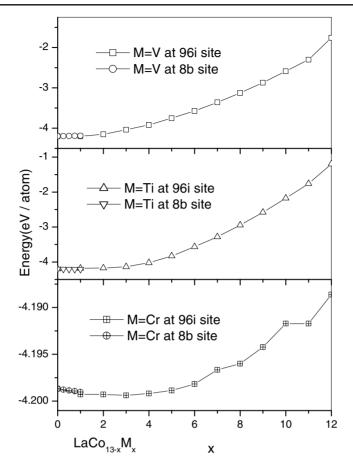


Figure 6. The energy (eV/atom) variation with the third element content x in $LaCo_{13-x}M_x$ (M = Cr, Ti and V) with the space group Fm3c at different sites 8b and 96i.

Furthermore, $\Phi_{\text{La-Si}}$ is much smaller than $\Phi_{\text{La-Fe}}$ in the range r < 4.0 Å and the difference is fairly large. Then, in the chemical bonding range r < 3.6 Å, Si substituting for part of Fe could lower the energy of $\text{LaFe}_{13-x}\text{Si}_x$ significantly and Si should prefer to be near La. That is also supported by the semi-experiential idea. Because the enthalpy of formation between La and Fe is positive in the semi-empirical calculation [25], the third element Al and Si should act as a bridge to connect La and Fe. Since the 96i site has both the rare-earth R and Fe as the nearest neighbour and 8b has no R as the nearest neighbour, 96i should be preferred by the third element. This is just the case in the experiments and the current calculation.

In addition, the effects of the third elements Cr, V and Ti on the structural stability of LaCo_{13-x}M_x (Cr, V and Ti) are also studied. When V and Ti substitute for Co at both 8b and 96i sites, the energy increases little by little (figure 6) and the increase is small with x < 2. With Cr substituting for part of Co, the energy decreases a little with x < 4. It indicates that V and Ti cannot enhance the stability of the compound and may not be able to substitute for Co in LaCo_{13-x}M_x, and that LaCo_{13-x}Cr_x may form with the NaZn₁₃-type structure. This is just as the potential variation of $\Phi_{\text{La-Co}}$, $\Phi_{\text{La-M}}$ and $\Phi_{\text{Co-Co}}$, $\Phi_{\text{M-M}}$ (M = Cr, V and Ti) show in figure 7. Because the potential curve of $\Phi_{\text{La-Cr}}$ is only a little higher than that of $\Phi_{\text{La-Co}}$, it is not shown in order to make the figure clearer. In the chemical bonding range r < 3.6 Å of

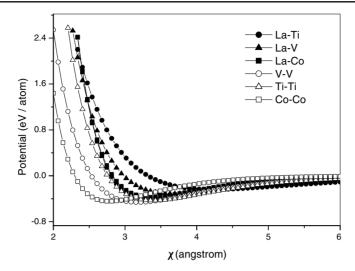


Figure 7. The potential curves of Φ_{Co-Co} , Φ_{Co-V} , Φ_{Co-Ti} , Φ_{Co-Cr} , Φ_{La-Co} , Φ_{La-V} , Φ_{La-Ti} and Φ_{La-Cr} .

La–M and r < 3.0 Å of M–M, the potentials of $\Phi_{\text{La-M}}$ and $\Phi_{\text{M-M}}$ (M = V and Ti) are higher than $\Phi_{\text{La-Co}}$ and $\Phi_{\text{Co-Co}}$, respectively, which indicates that V and Ti would be against the stability of $\text{LaCo}_{13-x}M_x$ and Cr could substituted for part of the Co, which is just as in the experiments [28].

4. Conclusion

In this paper, we pay attention mainly to the structural stability and the structural transition of a NaZn₁₃-type RT_{13-x}M_x (R = La, Ce, Nd and Pr; T = Co and Fe; M = Si, Al, V, Cr and Ti) with Chen's lattice inversion method. The calculation method is good at judging the structural transition between the cubic NaZn₁₃ type and its derivative tetragonal structure. It is also an efficient way to judge if a third element can lower the energy and stabilize the compounds. With this method, the structural stability is studied and the crystallographic parameters are near to the experimental ones. Overall, it is not only a good method to forecast if a compound with a certain content of the third element can be found in the experiments, but it is also a good way to direct the study of the structural transition with the variation of composition.

Acknowledgments

This work is supported by the State Key Project of Fundamental Research, No G2000067101, G1998061307, and G1998061303. One of the authors, H C, would like to thank Professor Jiang Shen for constructive discussions.

References

- [1] Rao G H, Liang J K, Zhang Y L, Cheng X R and Tang W H 1994 Appl. Phys. Lett. 64 1650
- [2] Hu F X, Shen B G, Sun J R, Cheng Z H and Zhang X X 2000 J. Phys.: Condens. Matter 12 L691
- [3] Fujieda F, Fujita A, Fukamichi K, Yamazaki Y and Lijima Y 2001 Appl. Phys. Lett. 79 653
- [4] Fujita A, Akamatsu Y and Fukamichi K 1999 J. Appl. Phys. 85 4756

- [5] Palstra T T M, Nieuwenhuys G J and Mydosh J A 1984 J. Appl. Phys. 55 2367
- [6] Palstra T T M, Nieuwenhuys G J, Mydosh J A and Buschow K H J 1985 Phys. Rev. B 31 4622
- [7] Palstra T T M, Werij H G C, Werij G G C, Nieuwenhuys G J, Mydosh J A, Boer F R and Buschow K H J 1984 J. Phys. F: Met. Phys. 14 1961
- [8] Palstra T T M, Nieuwenhuys G J, Mydosh J A, Helmholdt R B and Buschow K H J 1986 J. Magn. Magn. Mater. 54–57 995
- [9] Palstra T T M, Mydosh J A, Nieuwenhuys G J, van der Kraan A M and Buschow K H J 1983 J. Magn. Magn. Mater. 36 290
- [10] Tang W H, Liang J K, Rao G H and Yan X H 1994 Phys. Status Solidi a 141 217
- [11] Liang J K, Liu Q L, Rao G H, Huang F, Rao G H and Chen X L 2002 Prog. Natural Sci. 12 81
- [12] Pasturel A, Colinet C and Hicter P 1984 Acta Metall. 32 1060
- [13] Pasturel A, Hicter P and Cyrot-Lackmann F 1983 Solid State Commun. 48 561
- [14] Miedema A R, de Chatel P F and de Boer F R 1980 Physica B 100 1
- [15] Chen N X and Ren G B 1998 Phys. Rev. B 45 8177
- [16] Wang Y, Shen J, Chen N X and Wang J L 2001 J. Alloys Compounds 319 62
- [17] Hao S Q and Chen N X 2002 Phys. Lett. A 297 110
- [18] Liang J, Rao G, Tang W, Zhao Y M, Guo Y Q, Yan X H, Zhang Y L, Cheng X R, Xie S S, Chen X L, Yu Y D, Tian J H and Liang J M 1997 Prog. Natural Sci. 7 1
- [19] Rao G H, Liang J K, Zhang Y L, Cheng X R, Tang W H and Dong C 1995 Phys. Rev. B 51 60
- [20] Buschow K H J and Velge W A J J 1967 J. Less-Common Met. 13 11
- [21] Helmholdt R B, Palstra T T M, Nieuwenhuys G J, Mydosh J A, van der Kraan A M and Buschow K H J 1986 Phys. Rev. B 34 169
- [22] Tang W H, Liang J K, Chen X L and Rao G H 1994 J. Appl. Phys. 76 4075
- [23] Huang M Q, Wallace W E, Obermyer R T, Simizu S and Sankar S G 1995 J. Magn. Magn. Mater. 151 150
- [24] Tang W H, Liang J K, Rao G H and Yang F M 1995 J. Appl. Phys. 78 1884
- [25] Rao G H, Wu S, Yan X H, Zhang Y L, Tang W H and Liang J K 1993 J. Alloys Compounds 202 101-6
- [26] Tang W H, Liang J K, Yan X H, Rao G H and Xie S S 1994 Phys. Rev. B 49 3864
- [27] Tang W H, Liang J K, Rao G H, Guo Y Q and Zhao Y M 1995 J. Alloys Compounds 218 127
- [28] Kim S G and Fukamichi K 1996 J. Alloys Compounds 244 146